

**CORRECTIONS TO 'CHARACTER THEORY OF FINITE  
GROUPS WITH TRIVIAL INTERSECTION  
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1. The conditions (TI 1) and (TI 2) are stated for  $H = \mathfrak{N}_G(\mathbf{D})$  and henceforth in the paper  $H$  is understood to be  $\mathfrak{N}_G(\mathbf{D})$  when  $\mathbf{D}$  is taken to be a T.I. subset of  $G$ . Also in the definition of T.I. subset the condition is that  $\mathbf{D} \cap \mathbf{D}^g \neq \phi$  where  $\phi$  is the empty set.

2. Just before formula (11), the symbol should read

$$\{\varepsilon(\tau_i)\xi_i \mid \varepsilon(\tau_i)\xi_i^{\tau_i} = \varepsilon\}.$$

3. In the statement of Proposition 8, the penultimate sentence should read: '*If  $\mathbf{D}$  contains a section  $\mathfrak{S}_H(P)$  of a  $p$ -element  $P$  belonging to a defect group  $V$  of  $\mathfrak{B}^G$ , then  $\mathfrak{S}_G(\mathfrak{C}_G(\mathbf{D}^G, \mathfrak{B}^G))$  contains all characters of zero height in  $\mathfrak{B}^G$ .*' It is required to know that  $\varepsilon(R) \neq 0$  in the proof for a character  $\varepsilon$  of  $\mathfrak{B}^G$  for an appropriate  $p$ -regular element  $R$  in order to have  $\varepsilon(PR) \neq 0$  where  $PR \in \mathbf{D}$ . The assumption of zero height is need to justify this step.

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