

REMARK TO A THEOREM DUE TO R. SANDLER

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To prove [2, Theorem 1], it is enough to remark that if x is a point or line of F_4 which is fixed under H , then x is fixed under each subgroup of H . By Sylow's theorem, H has a subgroup H' of order three. By [1, p. 420, Lemma 2.2], it follows that x is in the subplane of F_4 generated by those elements of $\{A, B, C, D\}$ which are fixed under H' . This subplane consists of a point only. Hence, x is in $\{A, B, C, D\}$, which is impossible. This argument can be used in many other cases.

REFERENCES

1. P. Dembowski, *Freie und offene projektive Ebenen*, Math. Z. 72 (1960), 410–438.
2. R. Sandler, *On finite collineation groups of F_6* , Can. J. Math. 21 (1969), 217–221.

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Received February 25, 1969.