

**Errata**

# Elastic buckling design curves for isotropic rectangular plates with continuity or elastic edge restraint against rotation

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The following corrections have been made to this paper published originally in the April issue, volume 104, number 1034 of *The Aeronautical Journal* on pages 175 to 182.

The Greek letter lambda ( $\lambda$ ) was missing from the caption of Fig. 1; which should read:

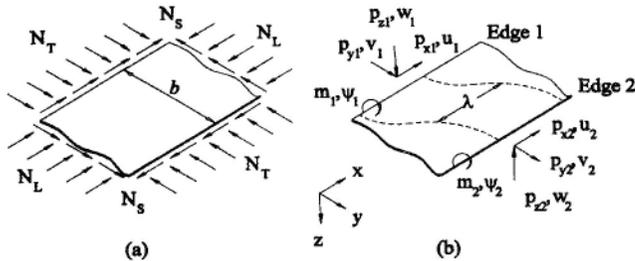


Figure 1. A component plate: (a) of width  $b$  with loading and reference axis system and; (b) showing skew nodal lines with half-wavelength  $\lambda$  caused by perturbation force (denoted by  $p$  and  $m$ ) and displacement amplitudes shown at the longitudinal edges of the plate, which are multiplied by  $\exp(imx/\lambda)$ .

Two multiplication symbols contained within the following sentence should have been printed as follows:

## 4.0 MODELLING

The isotropic material properties are: Young's Modulus ( $E$ ) =  $72.4\text{kNmm}^{-2}$  ( $100,000\text{lb/in}^{-2}$ ) and Poisson's ratio ( $\nu$ ) =  $0.3$ .

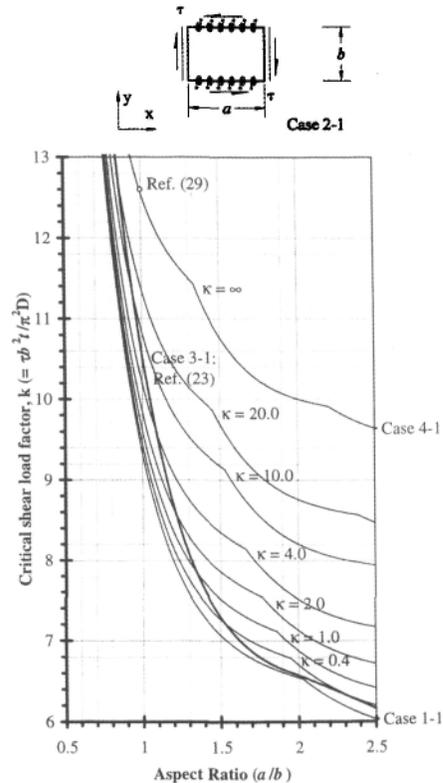
An S8R5 plate element is adopted for the finite element analysis<sup>(20)</sup> to provide the classical thin plate result. A high degree of convergence is achieved using  $30 \times 30$  elements for the square plate ( $\nu/b = 1.0$ ) and maintained by adjusting the number of elements with respect to changes in aspect-ratio, e.g.  $45 \times 30$  elements for  $\nu/b = 1.5$ , etc.

The two equations contained in the paper should have appeared as follows:

$$\kappa = \frac{\beta b}{D} \quad \dots (1)$$

$$k = \frac{\sigma b^2 t}{\pi^2 D} \quad \text{or} \quad k = \frac{\tau b^2 t}{\pi^2 D} \quad \dots (2)$$

The correct fig. 4(c) now appears below containing the "Critical shear load factor" as intended by the author, illustrating design curves that should correspond to Case 2-1:



4(c) longitudinal edges,  $y = 0$  and  $b$ , the two transverse edges simply supported. Case 4-1 results<sup>(29)</sup>, for longitudinal edges clamped, and Case 3-1 results<sup>(23)</sup>, which possess continuity over simple supports in the  $y$ -direction, are given for comparison.  
Note that Case 4-1  $\Rightarrow k_{(a/b = \infty)} = 9.2$ ;